

Critical Scenario Creation for Verification and Validation of Cooperative and Automated Driving functionalities

The AV Development Challenge



How to reach full automation as soon as possible?

- Automated vehicles are highly complex systems, as they have to operate safely and reliably in diverse driving environments.
- Testing of autonomous vehicles is a challenging problem which cannot be efficiently handled with conventional approaches.
- Lack of efficient testing can affect time-to-market. "14.2 billion miles of testing is needed" Akio Toyoda, CEO of Toyota Paris Auto Show 2016

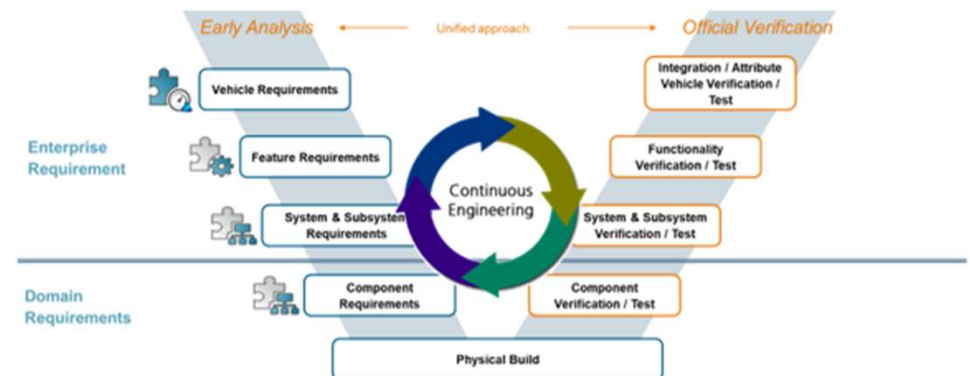


There are many scientific in-depth discussions on the challenges of safety validation for autonomous vehicles, arguing that **digitalization** and **virtual testing** should be the main target for both **methodological** and **economic reasons**.

Introduction

To assess the safety of automated vehicles various aspects must be taken into account:

- Safe functionality must be ensured through functional safety, as described in ISO 26262. This standard focuses on hazards induced by technical failures due to systematic and random faults in both hardware and software.
- Additionally, the so-called Safety of the Intended Functionality (SOTIF) must be ensured. **SOTIF** focuses on an intended function that could induce hazards due to functional insufficiencies, in the absence of technical system failures. SOTIF analysis covers identification of system weaknesses as well as **scenarios that lead to a hazardous event.**

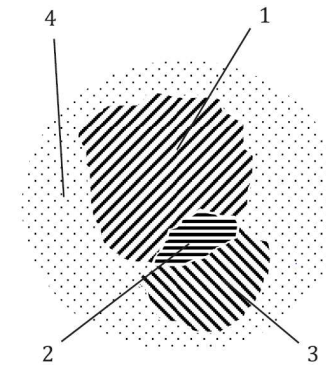


Introduction (SOTIF) safety of the intended functionality

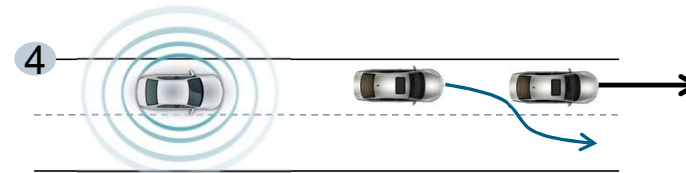
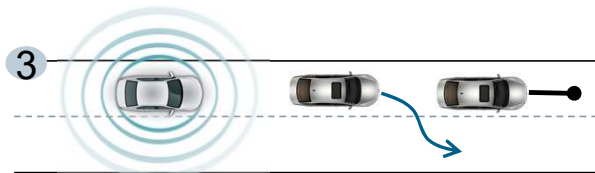
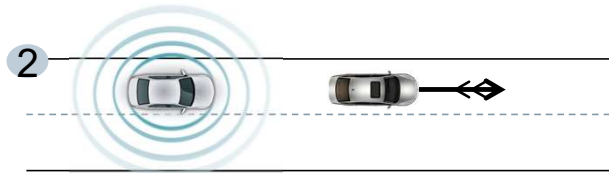
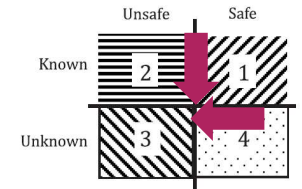
Objectives of SOTIF:

- Decrease area 3 by identifying unknow-unsafe scenarios

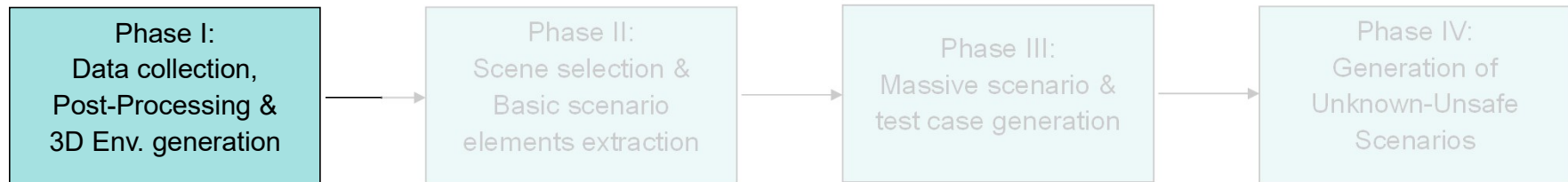
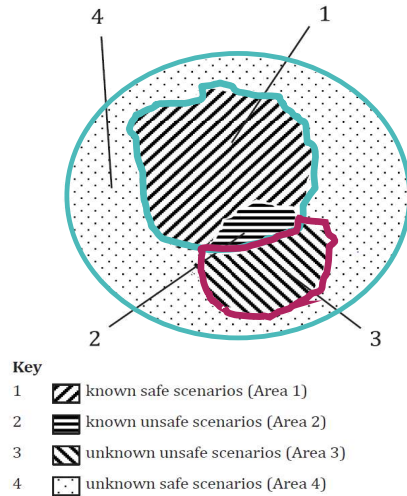
SIEMENS



- Key
- 1 known safe scenarios (Area 1)
 - 2 known unsafe scenarios (Area 2)
 - 3 unknown unsafe scenarios (Area 3)
 - 4 unknown safe scenarios (Area 4)



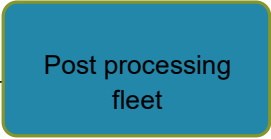
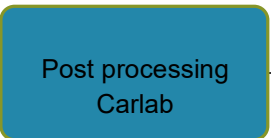
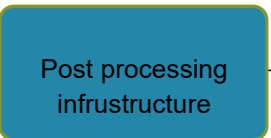
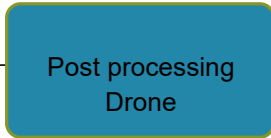
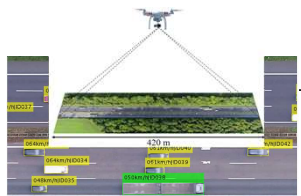
Siemens Solution for Creation of Unknown-Unsafe Scenarios



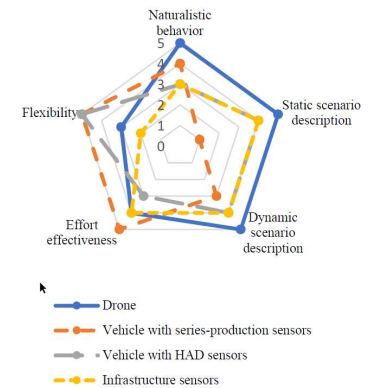
Phase I: Data collection, Post-Processing & 3D Env. generation



Real Data



Synthetic Data

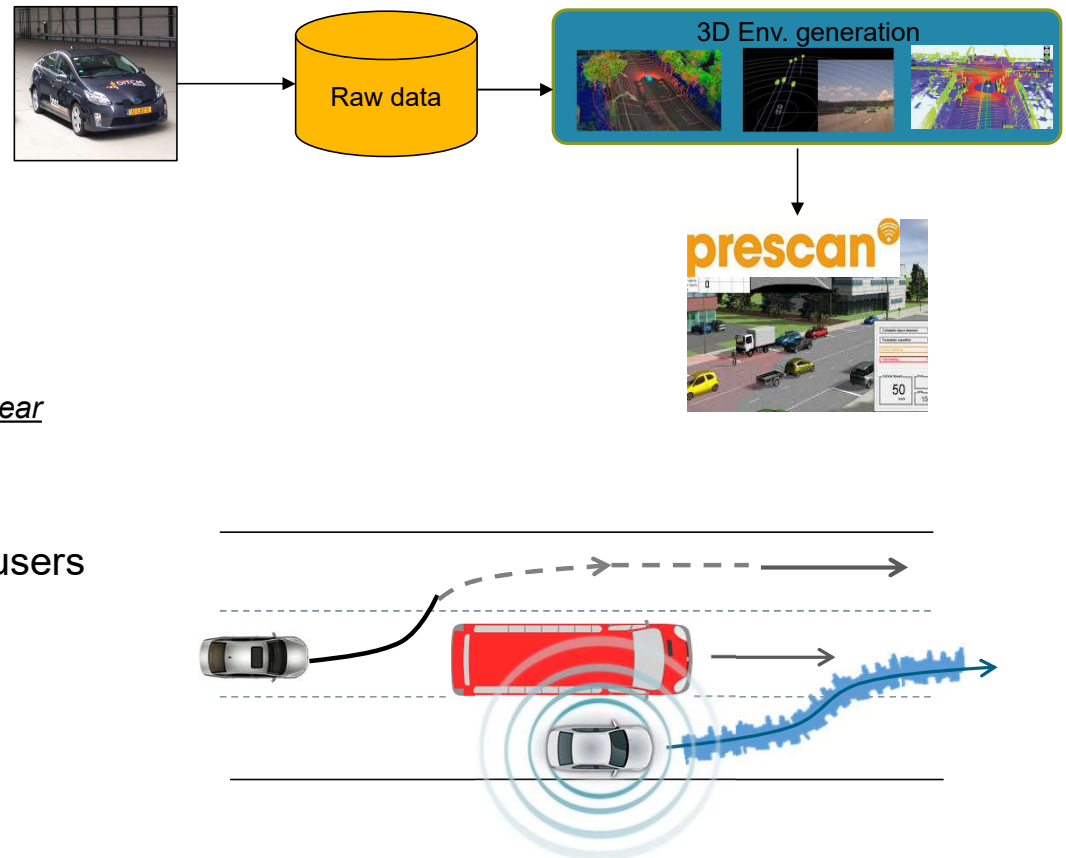


Phase I: Data collection, Post-Processing & 3D Env. generation How?

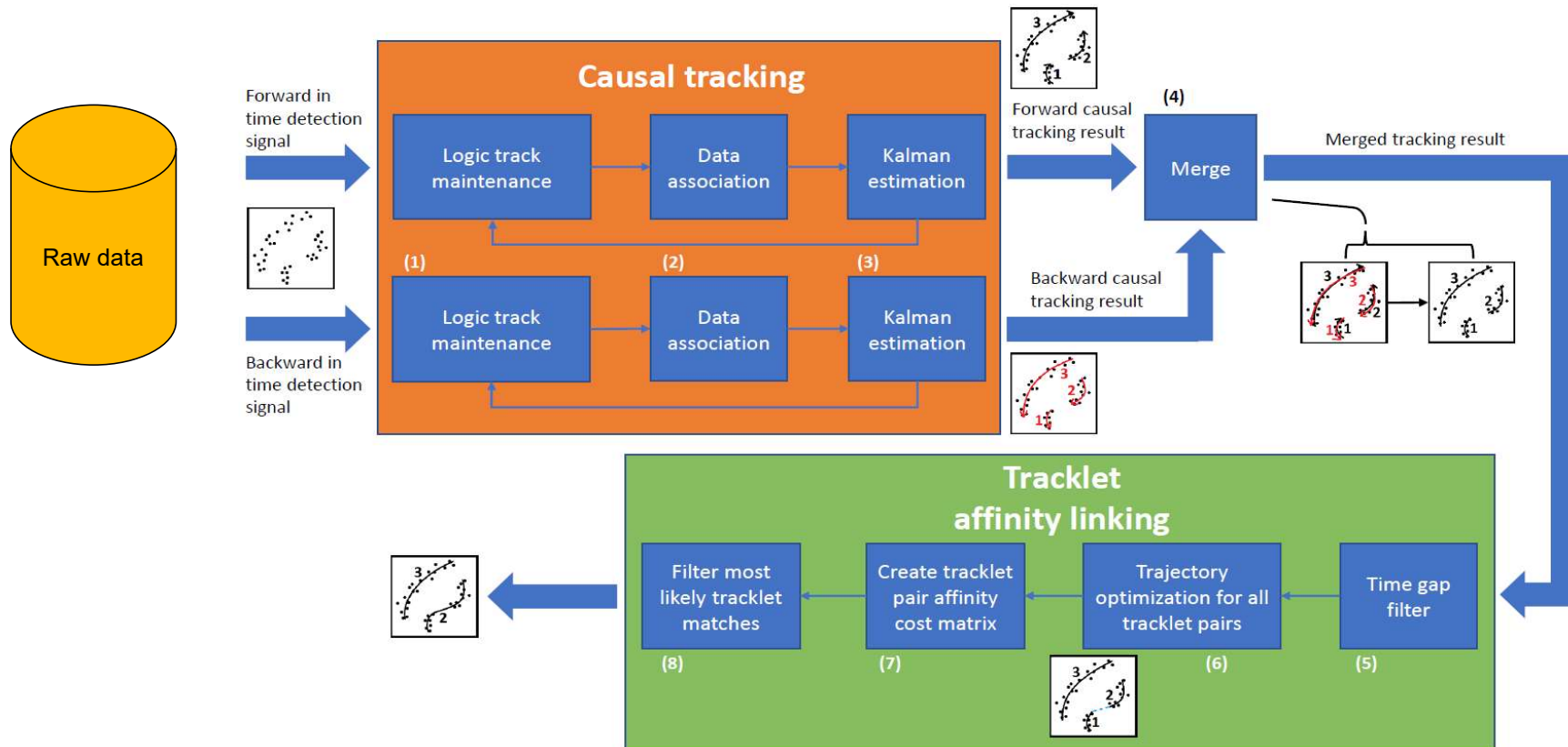


3D Environment generation:

- Generation of HD Map from static objects:
 - Sensor fusion
 - Object labeling and road sign detection
- Tracking of dynamic objects:
 - Host vehicle tracking
 - Smooth trajectory
 - Target vehicles tracking
 - Consistent/Stable tracking even if objects disappear from sight of the sensors for few seconds
 - Other road users tracking
- Map matching and localization of the road users trajectories with the generated map



Stable tracking

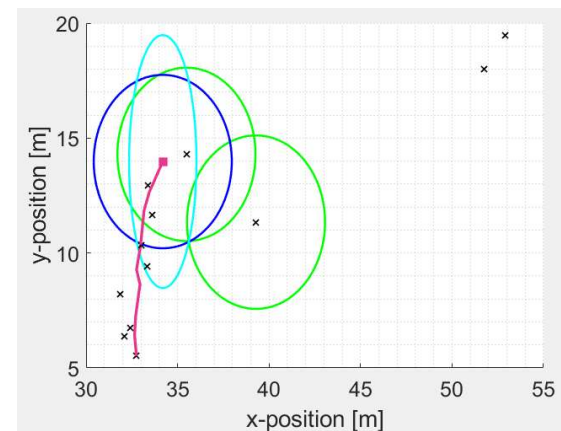
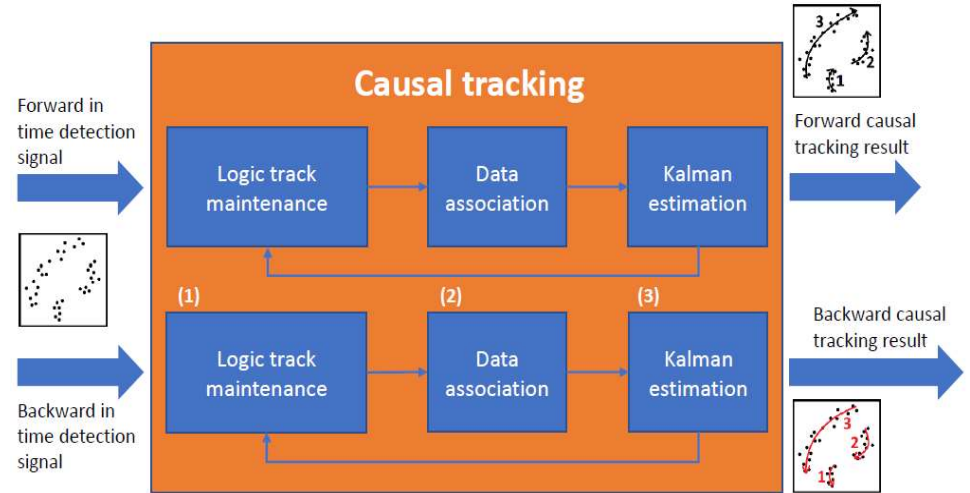


Stable tracking: causal tracking



Logic track maintenance

- “New-track gate” placed around measurement,
- “Data association gate” around each object, measurements outside gate will be not be assigned.
- A tentative object



Stable tracking: causal tracking

Data association

- Gated joint probability data association (JPDA)

Statistical distance:

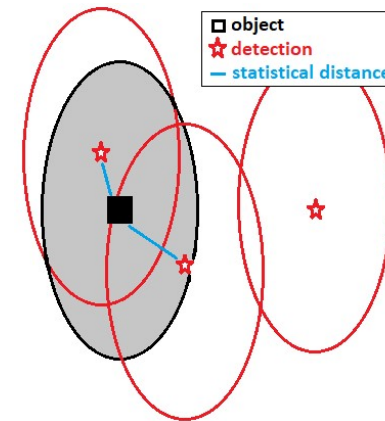
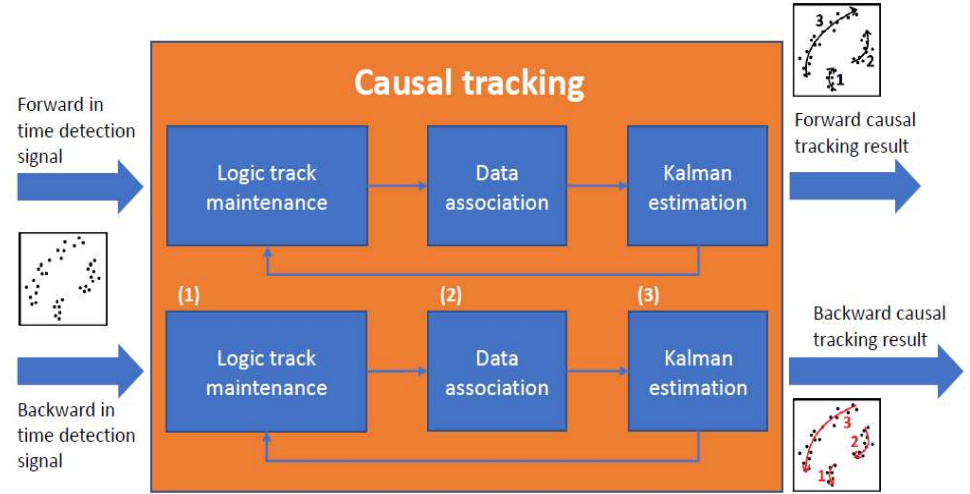
$$d_{M,j,i} = \sqrt{(\hat{x}_j - \bar{x}_{m,i})^T \Phi_m^{-1} (\hat{x}_j - \bar{x}_{m,i})}$$

Weighting:

$$\alpha_{j,i} = \frac{\left(\frac{1}{d_{M,j,i}}\right)}{\sum_{i=1}^n d_{M,j,i}}$$

Result:

$$x_{meas,JPDA,j} = \sum_{i=1}^n (\alpha_i x_{meas,i})$$



Stable tracking: causal tracking

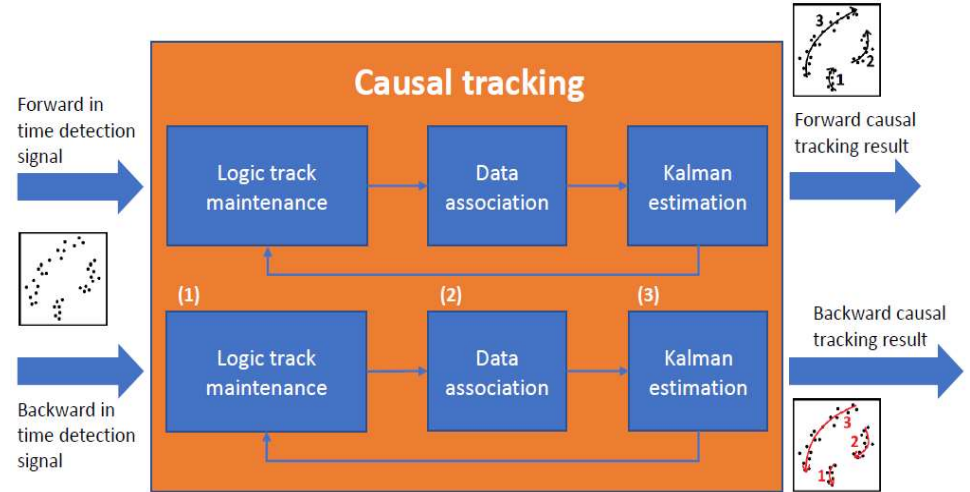
Kalman estimation

constant acceleration model
in discrete time, with sample time τ :

$$x_{k+1} = \underbrace{\begin{bmatrix} 1 & 0 & \tau & 0 & \frac{\tau^2}{2} & 0 \\ 0 & 1 & 0 & \tau & 0 & \frac{\tau^2}{2} \\ 0 & 0 & 1 & 0 & \tau & 0 \\ 0 & 0 & 0 & 1 & 0 & \tau \\ 0 & 0 & 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 \end{bmatrix}}_{A_d} x_k$$

$$y_k = \underbrace{\begin{bmatrix} 1 & 0 & 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 & 0 & 0 \\ 0 & 0 & 1 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 & 0 & 0 \end{bmatrix}}_{B_d} x_k$$

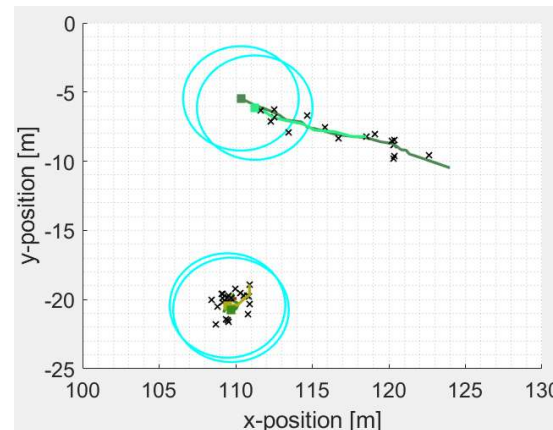
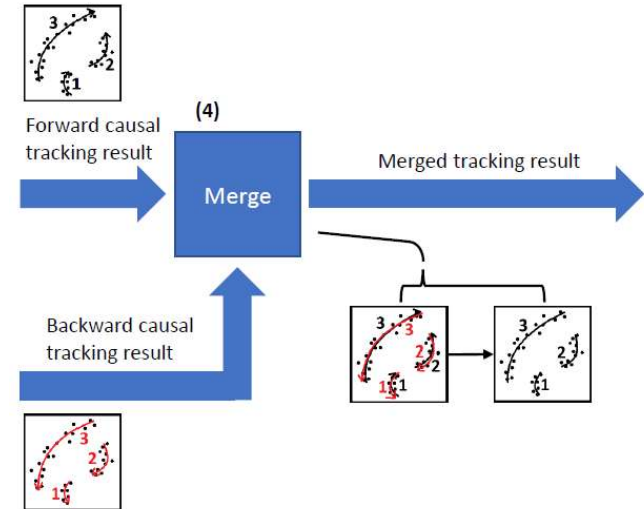
$$x_k = \begin{bmatrix} p_{x,k} \\ p_{y,k} \\ v_{x,k} \\ v_{y,k} \\ a_{x,k} \\ a_{y,k} \end{bmatrix}$$



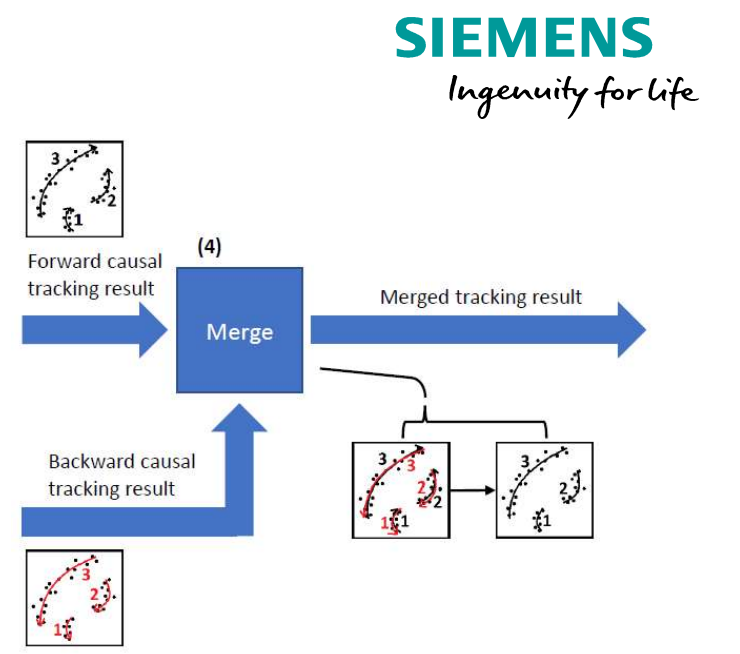
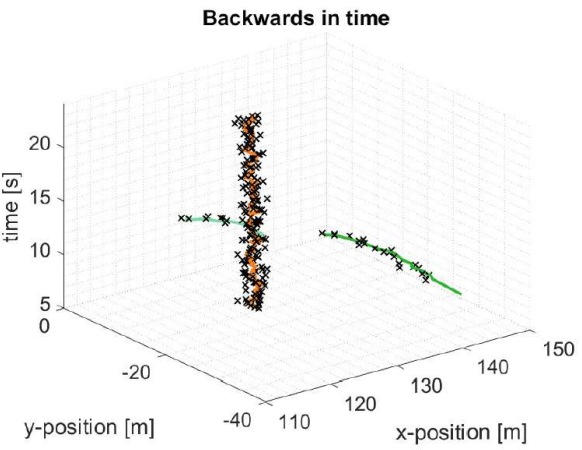
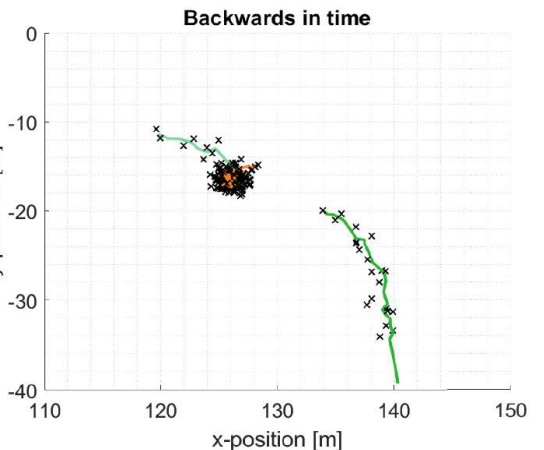
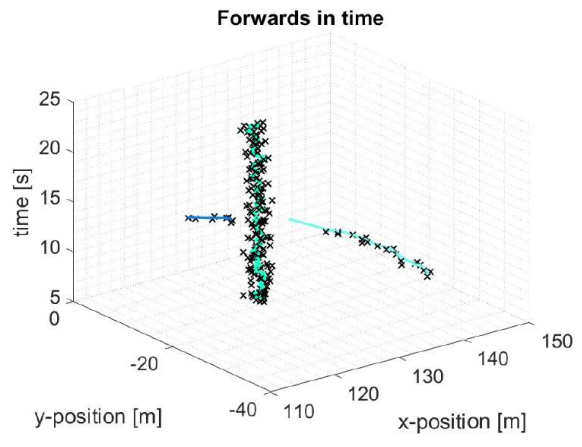
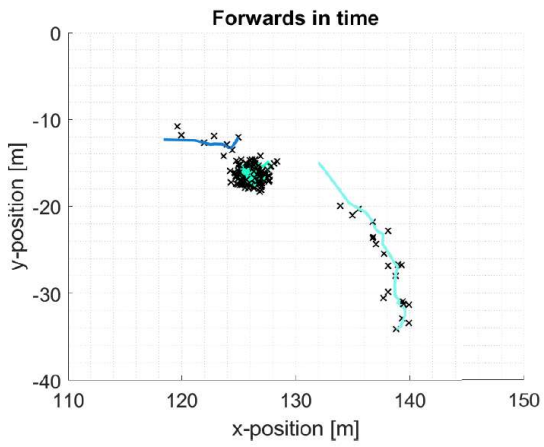
Stable tracking: merge

Merging forwards and backwards causal tracking result

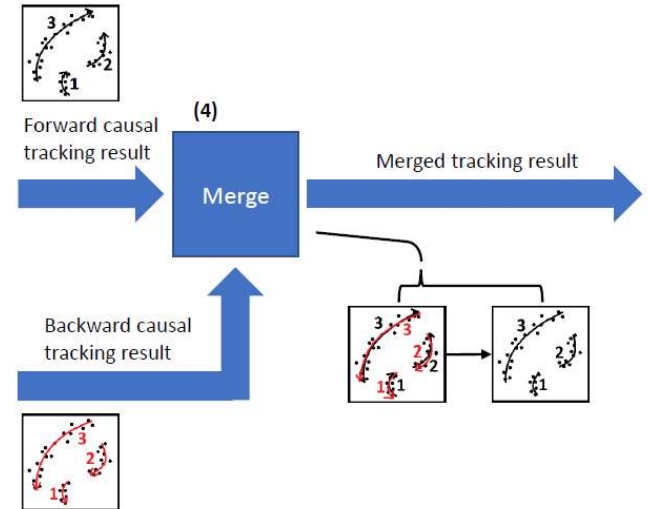
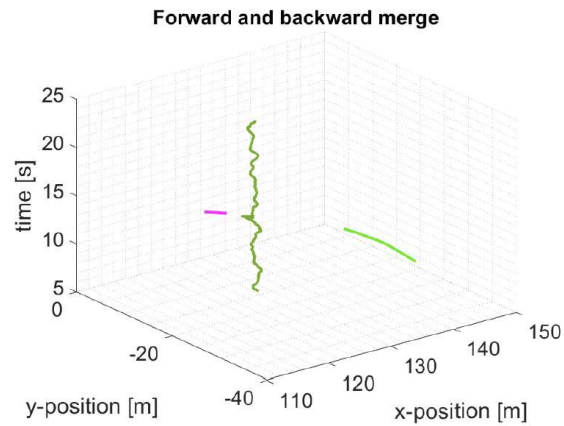
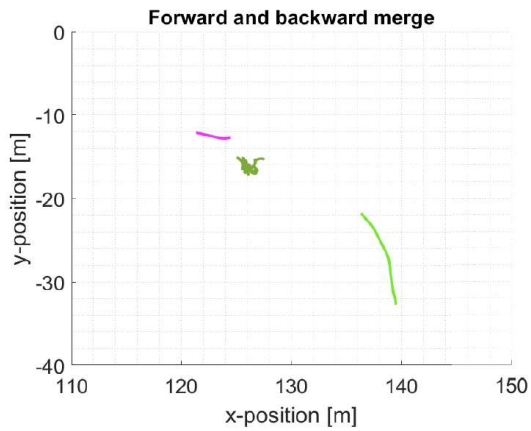
- use of the similarity gate
 - Possible tracking errors are filtered out, only similar forwards and backwards result are kept
 - Forwards and backwards objects should be within each others gate. If not, the objects are filtered out.
- Resulting merged object is the average of the two



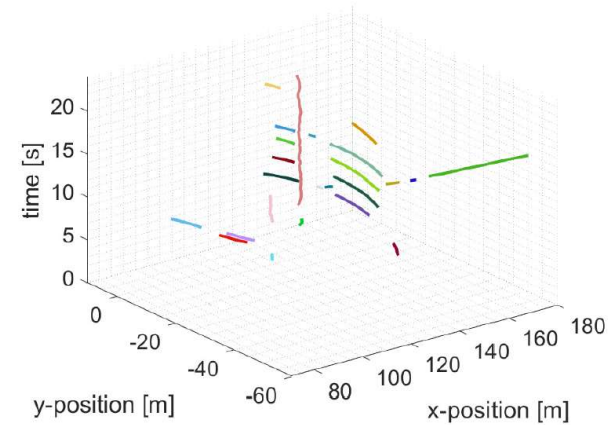
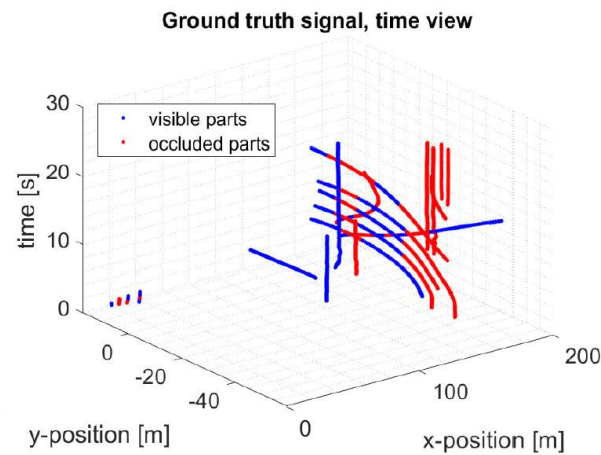
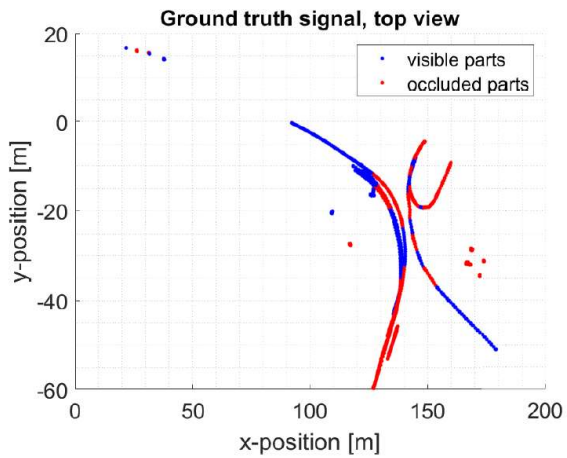
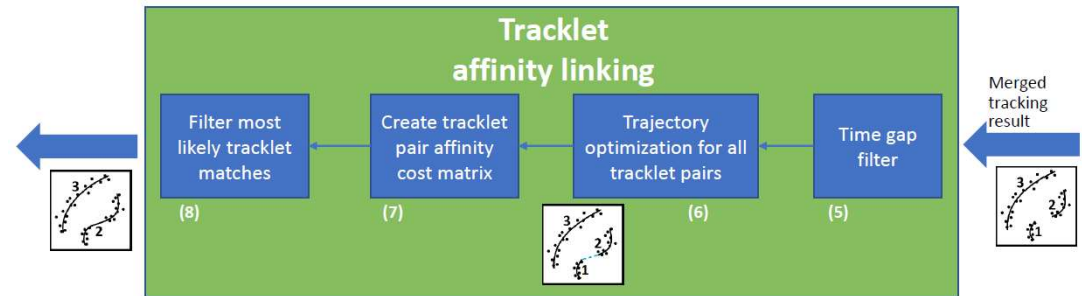
Stable tracking: merge



Stable tracking: merge



Stable tracking: tracklet affinity



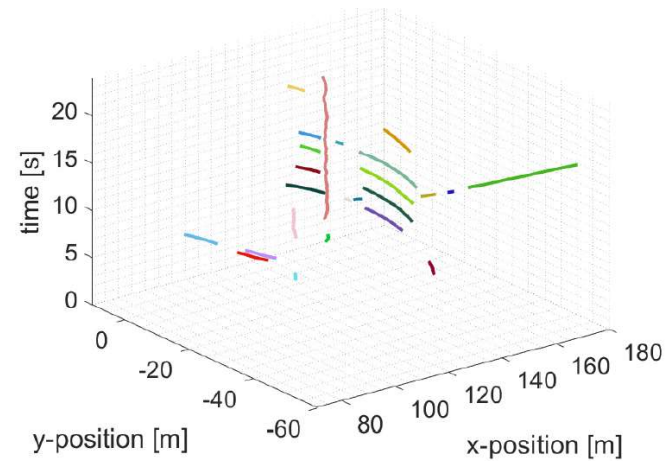
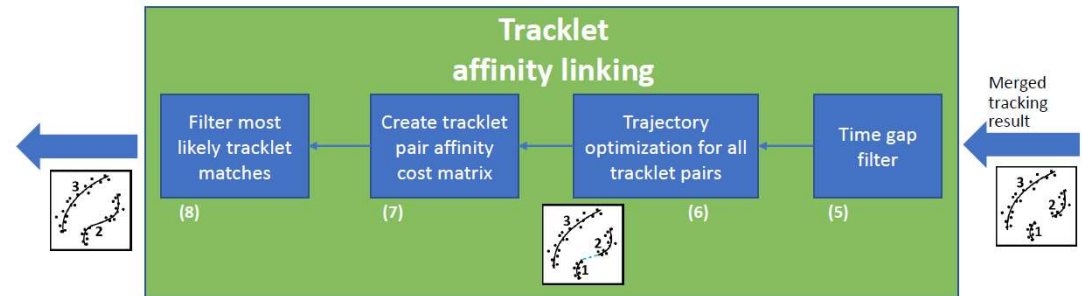
Stable tracking: tracklet affinity

Time gap filter

Time gap $t_{g,2/1}$ represents the time gap between the **start** of tracklet 2 w.r.t. to the **end** of tracklet 1

$$\begin{bmatrix} 0 & t_{g,2/1} & t_{g,3/1} & \dots & t_{g,j/1} \\ t_{g,1/2} & 0 & t_{g,3/2} & \dots & t_{g,j/2} \\ t_{g,1/3} & t_{g,2/3} & 0 & \dots & t_{g,j/3} \\ \vdots & \vdots & \vdots & \ddots & \vdots \\ t_{g,1/j} & t_{g,2/j} & t_{g,3/j} & \dots & 0 \end{bmatrix}$$

$t_g \leq 0 \rightarrow$ *infeasible to link*

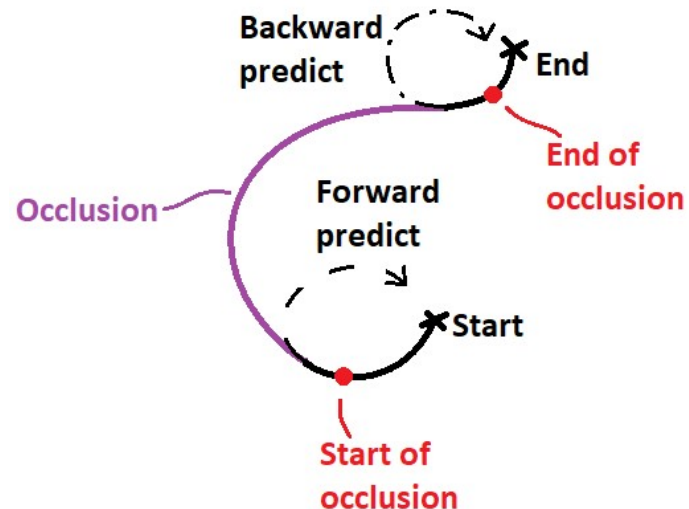
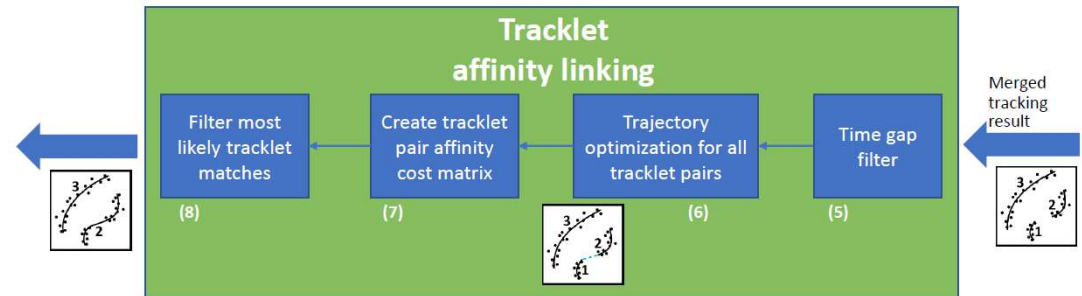


Stable tracking: Occlusion filling methods

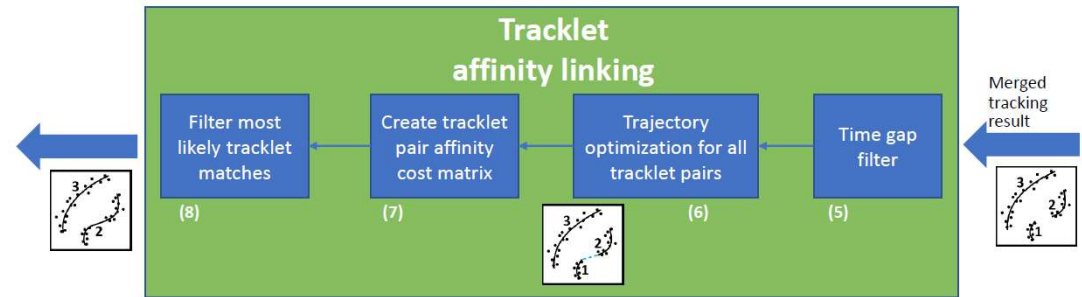
Kalman forward/backward merge

Using a merged variant of forward and backward Kalman predicted trajectories to fill an occlusion gives an important issue:

- In some situations, both the forwards- and backwards predictions are faulty. Using a linear merge will therefore not give correct results



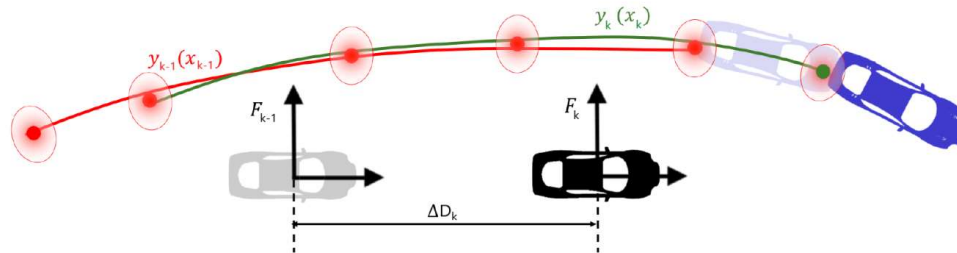
Stable tracking: Occlusion filling methods



Optimization approach

Using optimization and drive a virtual vehicle a long the way point

$$J = (x_0 - r_0)^T Q (x_0 - r_0) + (\bar{x} - \bar{r})^T \Omega (\bar{x} - \bar{r}) + \bar{u}^T \Psi \bar{u}$$



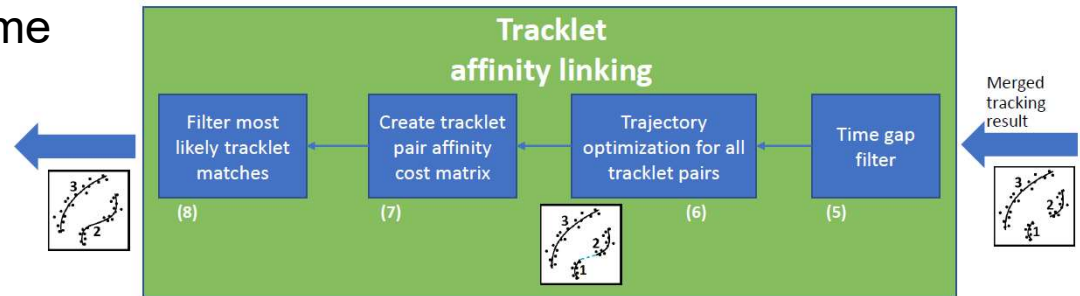
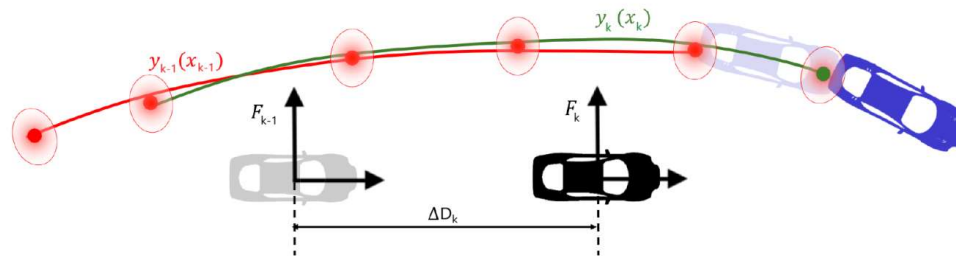
Stable tracking: Occlusion filling methods

The entire state response over a finite time horizon can be computed at once:

$$\bar{x} = \bar{A}_d x_0 + \bar{B}_d \bar{u}$$

...using augmented matrices as such:

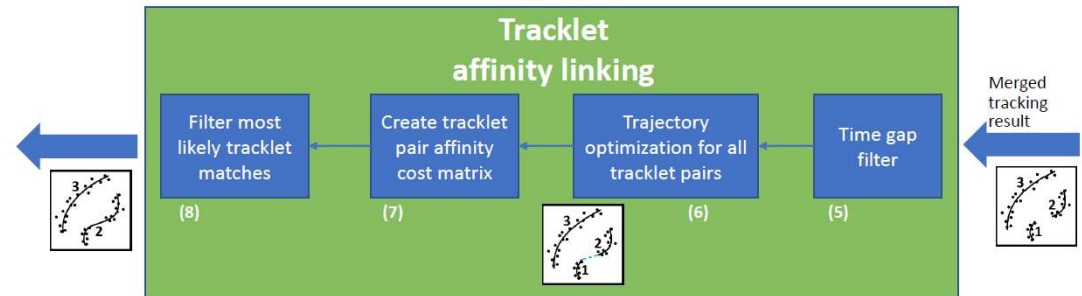
$$\begin{bmatrix} x_1 \\ x_2 \\ \vdots \\ x_n \end{bmatrix} = \begin{bmatrix} A_d \\ A_d^2 \\ \vdots \\ A_d^n \end{bmatrix} x_0 + \begin{bmatrix} B_d & 0 & \dots & 0 \\ A_d B_d & B_d & \dots & 0 \\ A_d^2 B_d & A_d B_d & \dots & 0 \\ \vdots & \vdots & \ddots & \vdots \\ A_d^n B_d & A_d^{n-1} B_d & \dots & B_d \end{bmatrix} \begin{bmatrix} u_0 \\ u_1 \\ \vdots \\ u_{n-1} \end{bmatrix}$$



Stable tracking: tracklet affinity

(Constrained) trajectory optimization for all tracklet pairs

- Minimum jerk trajectory penalizing error w.r.t. tracklet states during non-occluded parts



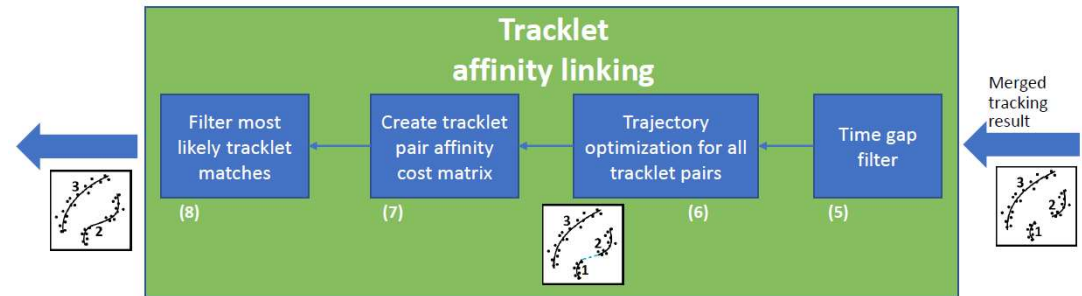
Tracklet pair affinity cost matrix

- Cost function penalizing jerk during the occlusion, and the time gap, thus favouring pairs with low jerk and short occlusions

$$J_{i/j} = \max \left(\left[\|\vec{j}_{occl. start_{i/j}}\|_2 \dots \|\vec{j}_{occl. end_{i/j}}\|_2 \right] \right) t_{gap_{i/j}}^2$$

$$\begin{bmatrix} \infty & J_{2/1} & J_{3/1} & \dots & J_{m/1} \\ J_{1/2} & \infty & J_{3/2} & \dots & J_{m/2} \\ J_{1/3} & J_{2/3} & \infty & \dots & J_{m/3} \\ \vdots & \vdots & \vdots & \ddots & \vdots \\ J_{1/m} & J_{2/m} & J_{3/m} & \dots & \infty \end{bmatrix}$$

Stable tracking: tracklet affinity



(Filter most likely tracklet matches)

- Minimum cost of all combined tracklet pairs is found using the Hungarian algorithm (with additional no-link cost)

$$\begin{bmatrix}
 \infty & J_{2/1} & J_{3/1} & \dots & J_{m/1} \\
 J_{1/2} & \infty & J_{3/2} & \dots & J_{m/2} \\
 J_{1/3} & J_{2/3} & \infty & \dots & J_{m/3} \\
 \vdots & \vdots & \vdots & \ddots & \vdots \\
 J_{1/m} & J_{2/m} & J_{3/m} & \dots & \infty
 \end{bmatrix}$$

Data collection, Post-Processing & 3D Env. generation

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REAL-LIFE DRIVING
SCENARIOS IN PRESCAN
SIMULATION ENGINE

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Unknown-Unsafe Scenarios in Different ODDs

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